Young Swimmers’ Classification Based on Kinematics, Hydrodynamics, and Anthropometrics

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The aim of this article has been to classify swimmers based on kinematics, hydrodynamics, and anthropometrics. Sixty-seven young swimmers made a maximal 25 m front-crawl to measure with a speedometer the swimming velocity (v), speed-fluctuation (dv) and dv normalized to v (dv/v). Another two 25 m bouts with and without carrying a perturbation device were made to estimate active drag coefficient (CdA). Trunk transverse surface area (S) was measured with photogrammetric technique on land and in the hydrodynamic position. Cluster 1 was related to swimmers with a high speed fluctuation (ie, dv and dv/v), cluster 2 with anthropometrics (ie, S) and cluster 3 with a high hydrodynamic profile (ie, CdA). The variable that seems to discriminate better the clusters was the dv/v (F = 53.680; P < .001), followed by the dv (F = 28.506; P < .001), CdA (F = 21.025; P < .001), S (F = 6.297; P < .01) and v (F = 5.375; P = .01). Stepwise discriminant analysis extracted 2 functions: Function 1 was mainly defined by dv/v and S (74.3% of variance), whereas function 2 was mainly defined by CdA (25.7% of variance). It can be concluded that kinematics, hydrodynamics and anthropometrics are determinant domains in which to classify and characterize young swimmers’ profiles.

Keywords: swimming, kinematics, hydrodynamics, anthropometrics, classification

Talent identification in swimming is one of the most challenging tasks for researchers and sport analysts. Research on expertise, talent identification, and development has tended to be multidisciplinary.1 Traditional approaches focused on the role of one single scientific field or trait in expertise and talent identification, such as the relationship between anthropometrics and performance that was so popular in the 1970s and 1980s. However, several characteristics (ie, scientific fields, domains, and variables) are related to performance. Hence, expertise and talent identification were started to be seen as a multidisciplinary phenomenon. Multiple test batteries were implemented to identify talented athletes. Exploratory designs (notably comparison of cohort groups and correlational studies) were conducted to identify the scientific domains and independent variables that determine the performance. In contrast to more traditional approaches, a potentially more valuable conceptual framework for the classification of expertise and talent exists, understanding young athletes as multifactorial, complex, and dynamical systems. The potential for interaction between performance determinants (ie, scientific fields, domains, and variables) provides the platform for different and diverse patterns of behavior to emerge on an individual basis.1 To do so, cluster analysis, considering several scientific disciplines, domains, and variables, might be a solution2 as movement variability should not be disregarded.3 Nevertheless, one significant advantage of behavioral clustering is that no previous assumptions about the structure of the dataset are required to identify similar behaviors. This is a regular procedure in marketing and advertising, for instance, to identify consumer buying behaviors and thereafter create individual consumer centric strategies. Cluster solutions obtained come from “emergent behavior” and not from “pre-existing assumptions.” Thereafter with a classification system developed, it will be straightforward to identify, classify, and design intervention programs accordingly for these and for new athletes in the future.

Recently, a research trend has emerged to try understand the links among all the variables that determine the swimming performance.4 Biomechanical characteristics (including kinematics, kinetics, and anthropometrics) play a major role (approx. 50–60%) in children’s swimming performance.5 So, the classification of young swimmers based on such characteristics can be a useful tool for talent identification and has never been attempted before.

Swimming is characterized as being an accelerated motion, where the changes in the acceleration within the stroke cycle can be assessed through the body’s intracyclic variations of the horizontal velocity (dv).6 So, Newton’s law of motion
\[ a = \frac{F}{m} \]  
(1)

where \( F \) is the resultant force, \( m \) the body mass, and \( a \) the acceleration can be conceptually changed to

\[ dv = \frac{Pr + D}{m} \]  
(2)

where \( dv \) is the speed fluctuation, \( Pr \) is the total propulsive force, \( D \) is the hydrodynamic drag force, and \( m \) is the swimmer’s body mass. It is the resultant vector sum of \( Pr \) by \( D \) that plays a main part in the \( dv \) throughout the swim, as \( m \) is fairly constant (neglecting the added mass that a swimmer carries out; to be strict, \( m = \) body mass + added water mass). While actively swimming, \( D \) is a Newtonian force with the name of active drag (\( D_a \)) and calculated as

\[ D_a = \frac{1}{2} \rho \cdot v^2 \cdot S \cdot C_{Da} \]  
(3)

where \( D_a \) is the swimmer’s active drag, \( \rho \) the density of the water (assumed to be 1000 kg/m\(^3\)), \( v \) the swimmer’s velocity, and \( S \) his/her projected frontal surface area. From Equations 2 and 3, we find a theoretical relationship between kinematics (eg, \( dv \) and \( v \)), hydrodynamics (eg, \( C_{Da} \)), and anthropometrics (eg, \( S \)). However, humans while performing a motor task (in this case, swimming) can select different strategies to reach the same outcome, as they might be considered “overdeterminate” systems; that is, there is the ability of elements that are structurally different to reach the same function or yield the same output. For the case of the \( D_a \), eventually young swimmers also adopt different, very unique, and individual approaches to change it.

Traditionally, sports performance research is based on the universalistic perspective. Data analysis is conducted considering the sample or the group’s main trend (eg, average differences, average variations, etc.). As a consequence, the individuality of each subject is “diluted” by the main trend of the overall sample and considered as “noise.” The assessment of individual trends and behaviors is a fair novelty in swimming.\(^5\) Accordingly, to the best of our knowledge, a classification of young swimmers based on their individual biomechanical characteristics has never been attempted. The aim of this technical note has been to develop a classification system for young talented swimmers based on kinematical, hydrodynamic, and anthropometrical characteristics.

### Methods

Sixty-seven young swimmers (34 girls and 33 boys, 12.83 ± 1.26 years old, 159.29 ± 8.56 m of height, 49.40 ± 9.22 kg of body mass, and 1–2 Tanner stages) with at least 4 years of experience in competitive swimming, participating on regular basis in regional- and national-level competitions volunteered as subjects.

Each subject swam a maximal 25-m front-crawl trial with a push-off start. A speedometer cable (Swim speedometer, Swimsportec, Hildesheim, Germany) was attached to the swimmer’s hip.\(^10\) The speedometer was placed in the forehead wall of the swimming pool, about 0.2 m above the water surface. A software’s interface in LabVIEW (v. 2009) was used to acquire (\( f = 50 \) Hz), display, and process pairwise velocity-time data online during the trial. To transfer data from the speedometer to the software application, a 12-bit resolution acquisition card (USB-6008, National Instruments, Austin, Texas, USA) was used. Thereafter, data were exported to signal-processing software (AcqKnowledge v. 3.5, Biopac Systems, Santa Barbara, USA) and filtered with a 5-Hz cut-off low-pass 4th-order Butterworth filter.\(^10\) This apparatus allowed measuring the mean swimming velocity within the stroke cycle (\( v \)). Considering the theoretical background (ie, Equation 2, but more details on this can be obtained elsewhere\(^6\)), intracyclic variation of the horizontal velocity of the hip (\( dv \)) was measured as:\(^10\)

\[ dv = \sqrt{\frac{\sum_{i=1}^{n} (v_i - v)^2 \cdot F_i}{\sum_{i=1}^{n} v_i \cdot F_i}} \cdot 100 \]  
(4)

where \( dv \) is the intracyclic variation of the horizontal velocity of the hip, \( v \) the mean swimming velocity, \( v_i \) the instant swimming velocity, \( F_i \) the acquisition frequency, and \( n \) the number of observations. Thereafter, \( dv \) was also normalized to the swimming velocity (\( dv/v \)). It should be considered that there is an overestimation of approximately 7% analyzing the center of mass forward velocity based on the hip’s assessment.\(^11\)

\( D_a \) was calculated with the velocity perturbation method.\(^12\) Each swimmer performed two other maximal 25-m trials at front crawl (with and without carrying the perturbation device). Swimming velocity was assessed at 13m (between 11th and 24th m from the push-off wall). The time spent to cover this distance was measured with a manual stopwatch (Golfinho Sports MC 815, Aveiro, Portugal) by two expert evaluators (ICC = 0.97), and the mean value was used for further analysis. \( D_a \) was calculated as follows:\(^12\)

\[ D_a = D_b \cdot v_h \cdot v^2 \]  
(5)

where \( D_a \) is the swimmer’s active drag at maximal velocity, \( D_b \) the resistance of the perturbation buoy, and \( v_h \) and \( v \) the swimming velocities with and without the perturbation device, respectively. The drag of the perturbation buoy was obtained from the manufacturer’s technical description (ie, buoy-drag characteristics and its velocity).\(^12\) Active drag coefficient (\( C_{Da} \)) was calculated by changing Equation 3 to

\[ C_{Da} = \frac{2 \cdot D_a}{\rho \cdot S \cdot v^2} \]  
(6)

where \( \rho \) is the density of the water (assumed to be 1000 kg/m\(^3\)), \( D_a \) the swimmer’s active drag, \( v \) the swimmer’s velocity, and \( S \) the swimmer’s projected frontal surface area.

\( S \) was measured with a photogrammetric technique,\(^7,11\) taking pictures of the swimmers with a digital camera (DSC-T7, Sony, Tokyo, Japan) in the transverse plane from above.\(^1\) Subjects were on land, standing in the upright and hydrodynamic position wearing a regular textile swim body suit, a cap, and goggles.\(^7\) On the camera’s shooting field, a calibration frame with 0.945 m length was placed side by side with the swimmer at the shoulder level. \( S \) was measured from the subject’s digital photo with specific area-measuring software (Udruler, AVPSofr, USA).

Swimming performance was also assessed, measuring the time of the 100-m freestyle event during an official short-course competition at regional or national level. The time gap between
biomechanical data collection and the 100-m freestyle race was less than two weeks.\textsuperscript{14}

Two clustering approaches to increase confidence in the stability of the emergent profiles were used: (i) hierarchical cluster analysis using Ward’s linkage method with the squared Euclidean distance measure to provide guidance as to the number of clusters represented in the data; (ii) k-means (nonhierarchical) cluster analysis. Standardized z scores (ie, normalization process allowing the comparison of datasets with different units and/or magnitudes) of the selected variables were used in the clustering analysis. To identify the variables with the highest influence in each cluster, a cluster’s ANOVA and discriminant analysis (stepwise method) tests were computed (\(P < .05\)). MANOVA using cluster group as the independent variable and swimmers’ characteristics (ie, gender and swim performance) were also computed (\(P < .05\)).

## Results

Coefficient of determination (\(R^2\)) was used to test several cluster solutions (from 1 to 9; ie, 1 < \(k < 9\)). The three-cluster solution (\(k = 3\)) was the one with the highest power with lower gains after the 4th cluster (\(R^2 = .709\)) (Figure 1). Descriptive statistics revealed a moderate-large variation of all selected variables (Table 1).

ANOVA statistics revealed significant variations in all tested variables (Table 2). Cluster 1 was characterized by high values of speed fluctuation (ie, \(dv\) and \(dv/v\)). Cluster 2 was characterized by high value of anthropometrics (ie, \(CD_a\)). The variable that seems to discriminate the clusters better was the \(dv/v\) (\(F = 53.680; P < .001\)), followed by \(dv\) (\(F = 28.506; P < .001\)), \(CD_a\) (\(F = 21.025; P < .001\)), \(S\) (\(F = 6.297; P < .01\)), and \(v\) (\(F = 5.375; P = .01\)). MANOVA showed a nonsignificant multivariate effect of gender and swimming performance in cluster groups (\(\Lambda_{Wilk's} = 0.808; \Lambda_{Pillai's} = 0.194; P = .08\)).

The stepwise discriminant analysis extracted two functions including the \(dv/v\), \(CD_a\), and \(S\) (Figure 2). Function 1 is mainly defined by \(dv/v\) and \(CD_a\), explaining 74.3\% of variance (\(\Lambda = 0.179; \chi^2(6) = 104.976; P < .001\)); function 2 is mainly defined by \(CD_a\) and \(S\) explaining 25.7\% of variance (\(\Lambda = 0.569; \chi^2(2) = 34.359; P < .001\));

\[
\text{Function 1} = 0.170 \cdot S - 0.750 \cdot CD_a + 1.487 \cdot dv/v - 0.009
\]

\[
\text{Function 2} = -0.684 \cdot S + 0.920 \cdot CD_a + 0.591 \cdot dv/v + 0.025
\]

Regarding data validation, 89.2\% of the original group were correctly classified (Table 3), with classification functions as follows:

Cluster 1,

\[
\text{kinematics} = 44.198 \cdot S - 2.852 \cdot CD_a + 4.604 \cdot dv/v - 41.280
\]

Cluster 2,

\[
\text{anthropometrics} = 49.082 \cdot S - 0.305 \cdot CD_a + 2.752 \cdot dv/v - 28.175
\]

Cluster 3,

\[
\text{hydrodynamics} = 37.788 \cdot S + 17.963 \cdot CD_a + 2.195 \cdot dv/v - 24.175
\]

## Discussion

The aim of this research was to develop a classification system for young talented swimmers based on kinematical, hydrodynamic, and anthropometrical characteristics. Three clusters, based on \(dv\) and \(dv/v\) (cluster 1, labeled “kinematics”), \(S\) (cluster 2, labeled “anthropometrics”), and \(CD_a\) (cluster 3, labeled “hydrodynamics”), were obtained. The stepwise discriminant analysis extracted two functions including the \(dv/v\), \(CD_a\), and \(S\), explaining 74.3\% and 25.7\% of the variance, respectively.

Traditionally, talent identification research is based on the identification of variables that might be related to the performance during childhood and adulthood. Several authors conducted exploratory studies to identify some of those variables with potential to predict the swimming performance.\textsuperscript{15–17} This exploratory research involves, most of the times, the design of cohort or correlational studies. Researchers applied bivariate tests to know the empirical relationship between two variables (one of these is the performance). Kinematics (as happens for cluster 1),\textsuperscript{18,19} anthropometrics (cluster 2),\textsuperscript{20} and hydrodynamics (cluster 3)\textsuperscript{21} are highly related with young swimmers’ performance. However, swimming performance is a multifactorial phenomenon where several variables play a role. Hence, one of the main limitations in this exploratory research is that it does not consider the interaction and/or the relationships between all the variables involved.

To solve this limitation, deterministic models were developed, with structural equation modeling, to explain the relationships between performance and determinant variables in young swimmers. Structural equation modeling is a mathematical procedure for testing and estimating causal relationships of several variables.

## Table 1 Descriptive statistics of the selected variables

<table>
<thead>
<tr>
<th>(v) ((\text{m/s}))</th>
<th>(dv) ((%))</th>
<th>(dv/v) ((\text{a.u.}))</th>
<th>(S) ((\text{m}^2))</th>
<th>(CD_a) ((\text{dimensionless}))</th>
<th>100 m freestyle ((\text{s}))</th>
</tr>
</thead>
<tbody>
<tr>
<td>Mean</td>
<td>1.27</td>
<td>9.32</td>
<td>7.45</td>
<td>0.70</td>
<td>0.31</td>
</tr>
<tr>
<td>1 SD</td>
<td>0.19</td>
<td>2.73</td>
<td>2.47</td>
<td>0.13</td>
<td>0.15</td>
</tr>
<tr>
<td>Minimum</td>
<td>0.81</td>
<td>4.57</td>
<td>3.63</td>
<td>0.51</td>
<td>0.14</td>
</tr>
<tr>
<td>Percentile 25</td>
<td>1.15</td>
<td>8.00</td>
<td>5.85</td>
<td>0.62</td>
<td>0.20</td>
</tr>
<tr>
<td>Percentile 50</td>
<td>1.30</td>
<td>9.00</td>
<td>6.96</td>
<td>0.69</td>
<td>0.27</td>
</tr>
<tr>
<td>Percentile 75</td>
<td>1.38</td>
<td>10.05</td>
<td>8.66</td>
<td>0.75</td>
<td>0.39</td>
</tr>
<tr>
<td>Maximum</td>
<td>1.71</td>
<td>21.20</td>
<td>15.04</td>
<td>1.24</td>
<td>1.05</td>
</tr>
</tbody>
</table>

*Note.* \(v\), swimming velocity; \(dv\), speed fluctuation; \(dv/v\), speed fluctuation normalized to swimming velocity; \(S\), trunk transverse surface area; \(CD_a\), active drag coefficient.
Figure 1 — Dendogram of the cluster analysis.

Table 2 Descriptive and summary ANOVA statistics by clustering and cluster center (C)

<table>
<thead>
<tr>
<th></th>
<th>Cluster 1 (n = 16)</th>
<th>M ± SD</th>
<th>z</th>
<th>C</th>
<th>Cluster 2 (n = 33)</th>
<th>M ± SD</th>
<th>z</th>
<th>C</th>
<th>Cluster 3 (n = 17)</th>
<th>M ± SD</th>
<th>z</th>
<th>C</th>
<th>F</th>
<th>P</th>
</tr>
</thead>
<tbody>
<tr>
<td>(v)</td>
<td></td>
<td>1.14 ± 0.16</td>
<td>-0.66</td>
<td>-0.66458</td>
<td>1.32 ± 0.19</td>
<td>0.24</td>
<td>0.24149</td>
<td></td>
<td>1.31 ± 0.16</td>
<td>0.18</td>
<td>0.18697</td>
<td></td>
<td>5.375</td>
<td>0.01</td>
</tr>
<tr>
<td>(dv)</td>
<td></td>
<td>12.58 ± 3.38</td>
<td>1.20</td>
<td>1.20276</td>
<td>8.58 ± 1.36</td>
<td>-0.27</td>
<td>-0.27066</td>
<td></td>
<td>7.75 ± 1.52</td>
<td>-0.57</td>
<td>-0.57799</td>
<td></td>
<td>28.506</td>
<td>&lt;0.001</td>
</tr>
<tr>
<td>(dv/v)</td>
<td></td>
<td>10.99 ± 2.24</td>
<td>1.40</td>
<td>1.40908</td>
<td>6.60 ± 1.32</td>
<td>-0.34</td>
<td>-0.34220</td>
<td></td>
<td>5.94 ± 1.21</td>
<td>-0.60</td>
<td>-0.60843</td>
<td></td>
<td>53.680</td>
<td>&lt;0.001</td>
</tr>
<tr>
<td>(S)</td>
<td></td>
<td>0.67 ± 0.12</td>
<td>-0.28</td>
<td>-0.28150</td>
<td>0.75 ± 0.14</td>
<td>0.39</td>
<td>0.39648</td>
<td></td>
<td>0.63 ± 0.07</td>
<td>-0.50</td>
<td>-0.50469</td>
<td></td>
<td>6.267</td>
<td>&lt;0.01</td>
</tr>
<tr>
<td>(C_{D_{a}})</td>
<td></td>
<td>0.25 ± 0.09</td>
<td>-0.32</td>
<td>-0.32034</td>
<td>0.24 ± 0.07</td>
<td>-0.41</td>
<td>-0.41784</td>
<td></td>
<td>0.47 ± 0.20</td>
<td>1.04</td>
<td>1.04169</td>
<td></td>
<td>21.025</td>
<td>&lt;0.001</td>
</tr>
</tbody>
</table>

*Note.* \(v\), swimming velocity; \(dv\), speed fluctuation; \(dv/v\), speed fluctuation normalized to swimming velocity; \(S\), trunk transverse surface area; \(C_{D_{a}}\), active drag coefficient.
It is known that performance depends on energetics, kinematics, and efficiency;\textsuperscript{14} while kinematics is influenced by anthropometrics and kinetics.\textsuperscript{5} So, the interaction among these domains and how it determines the performance should be considered.

Nevertheless, besides exploratory and causality designs, a further step is given in this research as it is now possible to classify new swimmers engaged in talent identification programs in a very straightforward way. Based on the discriminant analysis, it is possible to classify other swimmers in a given cluster solution according to the functions or the equations extracted. After collecting $dv/v$, $C_D$, and $S$ data, new swimmers can be classified through the scores of the discriminant functions (Equations 7 and 8) or the classification functions (Equations 9–11). The scores of Equations 7 and 8 are used as coordinates in a Cartesian system (x, y; function 1; function 2) to define the position of the new swimmer in the territorial map (Figure 2). As it presents the region frontier and the centroid of the cluster solutions, it becomes visually possible to inspect to which cluster the new athlete is allocated. Another analytical procedure to classify swimmers is to use Equations 9 to 11. From the three equations, the one with the highest score refers to the cluster where the new swimmer should be allocated to and “labeled.” In this sense, research and talent identification test batteries with young swimmers should consider a few variables from each one of these three domains and the application of the procedure described in this article.

### Table 3 Cross-tabulation of group membership and distance between centers

<table>
<thead>
<tr>
<th></th>
<th>Cluster 1</th>
<th>Cluster 2</th>
<th>Cluster 3</th>
<th>Total</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Original, n (%)</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Cluster 1</td>
<td>12 (66.6)</td>
<td>4 (33.3)</td>
<td>0 (0)</td>
<td>16 (100)</td>
</tr>
<tr>
<td>Cluster 2</td>
<td>0 (0)</td>
<td>33 (100)</td>
<td>0 (0)</td>
<td>33 (100)</td>
</tr>
<tr>
<td>Cluster 3</td>
<td>0 (0)</td>
<td>4 (23.5)</td>
<td>13 (76.5)</td>
<td>17 (100)</td>
</tr>
<tr>
<td>Ungrouped</td>
<td>1 (50)</td>
<td>0 (0)</td>
<td>0 (0)</td>
<td>1 (100)</td>
</tr>
<tr>
<td><strong>Cross-validation, n (%)</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Cluster 1</td>
<td>12 (66.6)</td>
<td>4 (33.3)</td>
<td>0 (0)</td>
<td>16 (100)</td>
</tr>
<tr>
<td>Cluster 2</td>
<td>0 (0)</td>
<td>33 (100)</td>
<td>0 (0)</td>
<td>33 (100)</td>
</tr>
<tr>
<td>Cluster 3</td>
<td>0 (0)</td>
<td>3 (17.6)</td>
<td>14 (82.4)</td>
<td>17 (100)</td>
</tr>
<tr>
<td>Ungrouped</td>
<td>1 (50)</td>
<td>0 (0)</td>
<td>0 (0)</td>
<td>1 (100)</td>
</tr>
<tr>
<td><strong>Distance between centers</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Cluster 1</td>
<td>—</td>
<td>2.555</td>
<td>3.142</td>
<td>—</td>
</tr>
<tr>
<td>Cluster 2</td>
<td>2.555</td>
<td>—</td>
<td>1.764</td>
<td>—</td>
</tr>
<tr>
<td>Cluster 3</td>
<td>3.142</td>
<td>1.764</td>
<td>—</td>
<td>—</td>
</tr>
</tbody>
</table>

![Figure 2 — Territorial map of the two canonical discriminant functions.](image)

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Classification of subjects happens on a regular basis in other scientific fields, such as in health sciences to classify patients with a given disease, syndrome, or condition.22 As in those fields, classification is useful so that: (i) practitioners would no longer need to produce a detailed explanation of the main outcomes (in this case, the performance and its determinant factors) but would rather classify it more broadly as being one of a few types; (ii) it would enable design training (ie, intervention) programs according to each category; (iii) it would make communication between practitioners quicker and easier. The three cluster solutions obtained (ie, cluster 1—kinematics, cluster 2—anthropometrics, and cluster 3—hydrodynamics) seem to be (i) easily identifiable in the field by practitioners; (ii) meaningful in terms of classification/diagnosis for coaches and sports analysts as well as; (iii) helpful in the design of more individualized training (ie, intervention) programs. For instance, a given swimmer is classified as being part of cluster 3 (hydrodynamics) after running the tests and the classification system. This means that his profile is mainly determined by a high $C_{Dh}$. So, coaches could design an intervention program for him focused on technique drills, feedback with specific visual and kinesthetic cues with the goal to improve such trait.

However, some limitations should be observed: (i) overall performance depends on other domains not considered here (eg, genetics, strength and conditioning, physiology). It is well accepted that young swimmers training should have main focus on their coordination/technical enhancement and less on the energetic/physiological workout; (ii) the classification procedure reported here is only suitable for talent identification of young swimmers. Some care should be exercised when applying this model to adolescent and adult/elite swimmers; (iii) others have proposed accurate but more complex and time-consuming procedures for talent identification.23

It can be concluded that kinematics (cluster 1), anthropometrics (cluster 2), and hydrodynamics (cluster 3) are determinant to classify and characterize young talented swimmers. With this technical note, we were able to report a quick, straightforward, affordable, and practical procedure for young swimmers’ assessment and classification.

References


